

# Package: RCMinification (via r-universe)

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**Version** 1.2

**Title** Random Coefficient Minification Time Series Models

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**Description** Data sets, and functions for simulating and fitting nonlinear time series with minification and nonparametric models.

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ARlocpoly	<i>Fit a nonlinear AR1 model using local polynomial regression</i>
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## Description

This function uses local polynomial regression to nonparametrically estimate the autoregression function in a nonlinear AR1 model.

## Usage

```
ARlocpoly(z, deg = 1, h, ...)
```

## Arguments

z	numeric vector of time series observations.
deg	numeric, degree of local polynomial fit.
h	numeric, bandwidth for local polynomial estimate.
...	any other arguments taken by locpoly.

## Value

A list containing

x	numeric vector of evaluation points.
y	numeric vector of nonparametric estimates at the values in x.
h	numeric, bandwidth

## Author(s)

L. Han and S. Snyman

## References

Fan, J. and Yao, Q. (2008) Nonlinear Time Series: Nonparametric and Parametric Methods. Springer.

## Examples

```
x <- nonlinearAR1.sim(100, g = function(x) x*sin(x), sd = 1.5) # simulated data
ARlocpoly(x, deg = 0, h = 0.5)
```

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`BCfireArea`*BC Fire Area*

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**Description**

The BCfireArea time series object consists of 13 observations on annual area burnt in the province of BC.

**Usage**

```
data(BCfireArea)
```

**Format**

A time series object

**Examples**

```
ts.plot(BCfireArea)
```

---

`BeerVolume`*Beer Volume Time Series*

---

**Description**

Weekly volumes (in litres) of produced at a large brewery for 137 weeks.

**Usage**

```
data(FWI)
```

**Format**

A time series object

**Examples**

```
acf(BeerVolume)
```

---

ChengTS *Fit a nonlinear AR1 model using local polynomial regression via the method of Cheng et al.*

---

### Description

This function uses local polynomial regression to nonparametrically estimate the autoregression function in a nonlinear AR1 model using Cheng's bias reduction method.

### Usage

```
ChengTS(z, degree = 1, hopt, ...)
```

### Arguments

`z` numeric vector of time series observations.  
`degree` numeric, degree of local polynomial fit.  
`hopt` numeric, base bandwidth for local polynomial estimate.  
`...` any other arguments taken by `locpoly`.

### Value

A list containing

- `x` numeric vector of evaluation points.
- `y` numeric vector of nonparametric estimates at the values in `x`.

### Author(s)

L. Han and S. Snyman

### References

Cheng, M., Huang, R., Liu, P. and Liu, H. (2018) Bias reduction for nonparametric and semiparametric regression models. *Statistica Sinica* 28(4):2749-2770.

### Examples

```
x <- nonlinearAR1.sim(100, g = function(x) x*sin(x), sd = 1.5) # simulated data
ChengTS(x, degree = 1, hopt = 0.5)

x <- nonlinearAR1.sim(100, g = function(x) x*sin(x), sd = 0.5) # simulated data
degree <- 1; xrange <- c(-.5, .5); n <- length(x)
h <- thumbBw(x[-n], x[-1], deg = degree, kernel=gaussK)
x.lp <- ARlocpoly(x, deg = degree, h = h, range.x = xrange)
x.shp <- sharpARlocpoly(x, deg = degree, range.x = xrange, h = x.lp$h*n^(4/45))
x.cheng <- ChengTS(x, degree = degree, hopt = h, range.x = xrange)
lag.plot(x, do.lines=FALSE)
```

```
lines(x.lp)
lines(x.shp, col=2)
lines(x.cheng, col=4)
```

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FWI

*Fire Weather Index Series*

---

### Description

The FWI list consists of 4 vectors containing daily Fire Weather Index observations.

### Usage

```
data(FWI)
```

### Format

This list contains the following vectors:

**PG2008** FWI observations from Prince George, BC for 2008

**PG2009** FWI observations from Prince George, BC for 2009

**ED2013** FWI observations from Edmonton, AB for 2013

**ED2014** FWI observations from Edmonton, AB for 2014

### Examples

```
RCMTm1e(FWI$PG2009[c(100:300)])
```

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Globaltemps

*Global Average Temperature Changes*

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### Description

Global average temperatures are recorded in terms of number of Celsius degrees above a baseline temperature from 1880 to 2016. The baseline temperature is the average temperature for the year 1990.

### Usage

```
data(Globaltemps)
```

### Format

A numeric vector

### Examples

```
temps <- ts(Globaltemps, start = 1880, end = 2016)
ts.plot(temps, ylab = "Change in Temperature")
```

---

longitudinalAcceleration

*Longitudinal Acceleration Measurements on an Air Tanker*

---

**Description**

Longitudinal acceleration measurements of an air tanker fighting a forest wildfire taken at 1 second intervals.

**Usage**

```
data(longitudinalAcceleration)
```

**Format**

A time series object

**Examples**

```
acf(longitudinalAcceleration)
```

---

nickel

*Electroless nickel concentrations*

---

**Description**

Electroless nickel concentrations in a chrome plating process were measured at the beginning of each eight hour work shift for a period of 25 days. A concentration of 4.5 ounces per gallon is considered optimal in this application.

**Usage**

```
data(nickel)
```

**Format**

A time series object

**Source**

Farnum, N. (1994) Statistical Quality Control and Improvement. Belmont, Duxbury Press.

**Examples**

```
ts.plot(nickel)
```

---

nonlinearAR1.sim	<i>Nonlinear ARI Simulator</i>
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**Description**

This function simulates sequences of variates follow a nonlinear autoregressive order 1 process of the form  $z_n = g(z_{n-1}) + \text{epsilon}$ . A normal distribution is assumed for the innovations.

**Usage**

```
nonlinearAR1.sim(n, g, ...)
```

**Arguments**

n	number of observations.
g	autoregression function.
...	any parameters that are taken by rnorm

**Author(s)**

L. Han and S. Snyman

**Examples**

```
x <- nonlinearAR1.sim(50, g = function(x) x*sin(x), sd = 2.5)
ts.plot(x)
```

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RCMTmle	<i>Tailed Exponential and Weibull Random Coefficient Minification Maximum Likelihood Estimation</i>
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**Description**

This function estimates parameters for tailed exponential and Weibull random coefficient minification process models from a nonnegative time series.

**Usage**

```
RCMTmle(y)
```

**Arguments**

y	numeric vector of nonnegative observations.
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**Value**

A list containing

n	the number of time series observations.
p	estimated power for transformation from exponential to Weibull.
p.eps	estimated tailed exponential probability parameter when preceding observation is nonzero.
p.delta	estimated tailed exponential probability parameter when preceding observation is 0
mu	estimated mu parameter for lognormal distribution used to simulated random coefficients.
sigma	estimated sigma parameter for lognormal distribution used to simulate random coefficients.
lambda	estimated tailed exponential rate parameter when preceding observation is nonzero.
gamma	estimated tailed exponential rate parameter when preceding observation is 0.
like	maximum value of likelihood.
y	original observations

**Author(s)**

L. Han

**References**

Han, L., Braun, W.J. and Loeppky (2018) Random Coefficient Minification Processes. Statistical Papers, pp 1-22.

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rET

*Tailed Exponential Random Number Generator*

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**Description**

This function simulates sequences of tailed exponential variates which have survivor function  $P(X > x) = (1-p)\exp(-\lambda x)$ , for  $x > 0$  and  $P(X = 0) = p$ .

**Usage**

rET(n, prob, rate)

**Arguments**

n	number of observations.
prob	vector of probabilities.
rate	vector of exponential rate parameters.

**Author(s)**

L. Han

**References**

Littlejohn, R.P. (1994) A Reversibility Relationship for Two Markovian Time Series Models with Stationary Exponential Tailed Distribution. *Journal of Applied Probability*. 31 pp 575-581.

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robustSD

*Tatum's Robust Estimate of the Standard Deviation*

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**Description**

Standard deviation estimate which is insensitive to outliers and random trends.

**Usage**

`robustSD(x)`

**Arguments**

`x`                    A numeric vector.

**Author(s)**

L. Han

**References**

Tatum, L.G. (1997) Robust Estimation of the Process Standard Deviation for Control Charts. *Journal of the American Statistical Association* 39, pp 127-141.

**Examples**

`robustSD(EuStockMarkets[,1])`

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rRCMT	<i>Tailed Exponential and Weibull Random Coefficient Minification Process Simulator</i>
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### Description

This function simulates sequences of tailed exponential and Weibull random coefficient minification process variates. Random coefficients are lognormal distributed with parameters  $\mu$  and  $\sigma$ .

### Usage

```
rRCMT(n, p, p.delta, p.eps, lambda, gamma, mu, sigma, RCMTobj)
```

### Arguments

n	number of observations.
p	power for transformation from exponential to Weibull.
p.delta	tailed exponential probability parameter when preceding observation is 0
p.eps	tailed exponential probability parameter when preceding observation is nonzero.
lambda	tailed exponential rate parameter when preceding observation is nonzero.
gamma	tailed exponential rate parameter when preceding observation is 0.
mu	$\mu$ parameter for lognormal distribution used to simulated random coefficients.
sigma	$\sigma$ parameter for lognormal distribution used to simulate random coefficients.
RCMTobj	list containing elements n, p, p.delta, p.eps, lambda and gamma

### Author(s)

L. Han

### References

Han, L., Braun, W.J. and Loeppky (2018) Random Coefficient Minification Processes. Statistical Papers, pp 1-22.

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sharpARlocpoly	<i>Fit a nonlinear ARI model using local polynomial regression and data sharpening</i>
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**Description**

This function uses local polynomial regression to nonparametrically estimate the autoregression function in a nonlinear ARI model, after employing data sharpening on the responses.

**Usage**

```
sharpARlocpoly(z, deg = 1, h, ...)
```

**Arguments**

z	numeric vector of time series observations.
deg	numeric, degree of local polynomial fit.
h	numeric, bandwidth for local polynomial estimate.
...	any other arguments taken by ARlocpoly.

**Value**

A list containing	
x	numeric vector of evaluation points.
y	numeric vector of nonparametric estimates at the values in x.

**Author(s)**

L. Han and S. Snyman

**References**

Choi, E., Hall, P. and Rousson, V. (2000) Data Sharpening Methods for Bias Reduction in Nonparametric Regression. *Annals of Statistics* 28(5):1339-1355.

**Examples**

```
x <- nonlinearAR1.sim(100, g = function(x) x*sin(x), sd = 1.5) # simulated data
sharpARlocpoly(x, deg = 0, h = 0.5)
```

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